

Java has 3 bit-shift operators: $\ll$, $\gg$, $\ggg$

$\ll$ left shift

take some number 37

in binary: $10\ 0101$

$37 \ll 3$ when you left shift, insert 0's

$10\ 0101\ 000 = 296$

Note that $\ll 3$
is same as $\times 2^3$
 $37 \times 8 = 296$

if you wanted to store the result in a byte,
Java will chop off any bits past 8

$1\ 0010\ 1000$

$0010\ 1000 = 40$

but if you store the same result in an int,
Java chops off bits past 32 (in this case no effect)

0000 0000 0000 0000 0000 0001 0010 1000

$\ggg$ right shift logical

- this same as $\ll$ but it shifts to the right
- always inserts 0's on the left

Ex1 $37 \ggg 4$

$10\ 0101$

00 0010 0101

00 0010 $= 2$

Ex2 $165 \ggg 4$

$1010\ 0101$

0000 1010 0101

0000 1010 $= 10$

>> right shift arithmetic

- preserves the sign of the number
- if the left-most bit is a $\begin{cases} 1, \text{ inserts } 1's \\ 0, \text{ inserts } 0's \end{cases}$

Ex1

$$37 \gg 4$$

(Assume 37 is stored in a byte)

³² ⁴ ¹
0010 0101

↑ left-most is a 0

0000 0010 0101

0000 0010 = 2

for positive numbers, $\gg$ is the same as $\ggg$

Ex2

$$165 \gg 4$$

(Assume 165 is stored in a byte)

¹²⁸ ³² ⁴ ¹
1010 0101

↑ left-most is 1

1111 1010 0101

¹²⁸ ⁶⁴ ³² ¹⁶ ⁸ ²
1111 1010 = 250

but in two's complement = -6

¹²⁸ ⁶⁴ ³² ¹⁶
1111 1010
flip
0000 0101
¹
0000 0110
⁴ ²
-6

→ this is actually -91 in two's complement

¹²⁸ ⁶⁴ ³² ¹⁶ ⁸ ² ¹
1010 0101
flip
0101 1010
0101 1011
-91

Note that -6 is $-91/2^4$ but rounded UP instead of DOWN.

$\gg 4$ is same as dividing by 2^4

(in this case UP = more negative)